



Institutional ID: FI79633 H-1083 Budapest, Práter Str. 50/A

Master's program Entrance examination topics

Mathematics

- 1. Real numbers. Sequences and series of numbers. Complex numbers.
- 2. Functions of real variable. Derivative. Taylor's polynomial.
- 3. Riemann integral. Fundamental theorem of calculus. Newton-Leibniz's formula.
- 4. Linear differential equations. Linear systems.
- 5. Power series expansion. Fourier series.
- 6. Functions of more variables. Gradient and Hesse matrix. Local extremal values.
- 7. Multiple integrals. Change of variables in multiple integrals. Path integral of a vector field.
- 8. The Fourier integral. Inverse Fourier transform. Time- and frequency domain descriptions.
- 9. Complex functions. Line integral of complex functions. Zeros and poles.
- 10. Vector spaces. Linearly Independent Sets, Bases. Coordinate Systems. Dimension.
- 11. Vector algebra. 2d and 3d Vectors: Inner Product, Cross-Product, Mixed Product.
- 12. Matrix Operations: addition, multiplication, transpose. Inverse of a Matrix.
- 13. Vector Equations of a linear system of equations. The Matrix Equation Ax = b
- 14. Determinants. Applications: Area, Volume and Determinants.
- 15. Linear maps. Kernel, Image, Dimension formula. Eigenvalues, Eigenvectors.
- 16. Relations. Equivalence Relations, Partitions. Order Relations, Maximal/Minimal elements.
- 17. Representing Graphs, Graph Isomorphism. Euler and Hamilton Circles. Trees.
- 18. Propositional calculus. Basic and derived argument forms.

Recommended literature:

- R. Courant F. John: Introduction to Calculus and Analysis I-II. Springer.
- D. C. Lay: *Linear Algebra and Its Applications*. University of Maryland, Pearson.
- K. H. Rosen: Discrete Mathematics with Applications. Mcgraw Hill.
- J. Stewart: Calculus. ISBN-13: 978-1285740621